Dawson Col	lege: Linear	Algebra	(SCIENCE)	. 201.	NYC-05	-S6· V	Winter 20	116
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Quiz 3

This quiz is graded out of 10 marks. No books, calculators, notes or cell phones are allowed. You must show all your work, the correct answer is worth 1 mark the remaining marks are given for the work. If you need more space for your answer use the back of the page.

Question 1. $\S 1.3 \# 15 \ (4 \ marks)$ Find all values of k, if any, that satisfy the equation.

$$\begin{bmatrix} k & 1 & 1 \end{bmatrix} \begin{bmatrix} 1 & 1 & 0 \\ 1 & 0 & 2 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} k \\ 1 \\ 1 \end{bmatrix} = 0$$

Question 2. §1.3 #30b (2 marks) Let 0 denote a 2×2 matrix, each of whose entries is zero. Is there a 2×2 matrix A such that $A \neq 0$ and AA = A? Justify your answer.

Question 3. §1.3 #TF (2 marks) Determine whether the statement is true or false, and justify your answer. For every square matrix A, it is true that $tr(A^T) = tr(A)$.

Question 4. §1.3 #TF (2 marks) Determine whether the statement is true or false, and justify your answer. If A is an $n \times n$ matrix and c is a scalar, then tr(cA) = ctr(A).